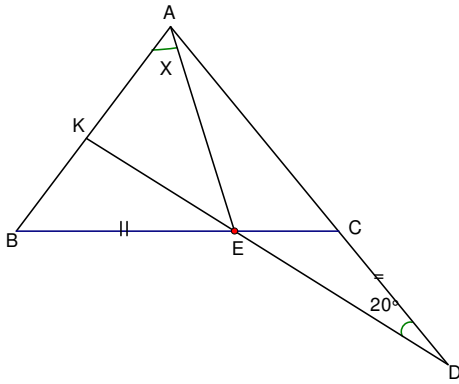
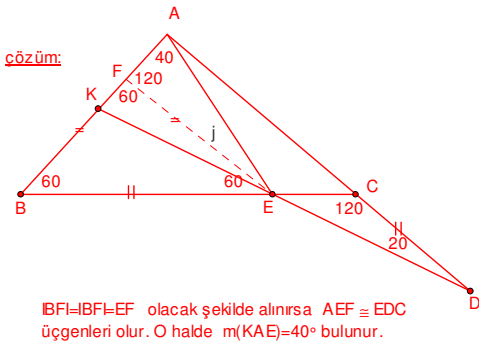


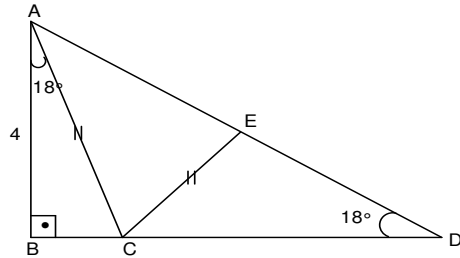
**SORU-1)**



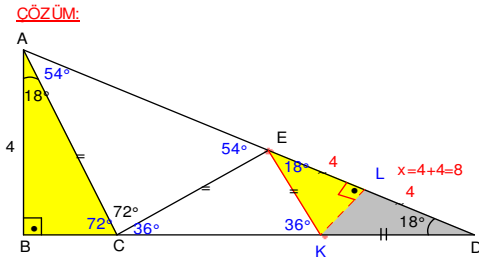
ABC bir eşkenar üçgen,  $m(\angle EDC)=20^\circ$  ve  $BE=EC$  ise  $m(\angle KAE)=?$  kaç derecedir?



**SORU-2)**

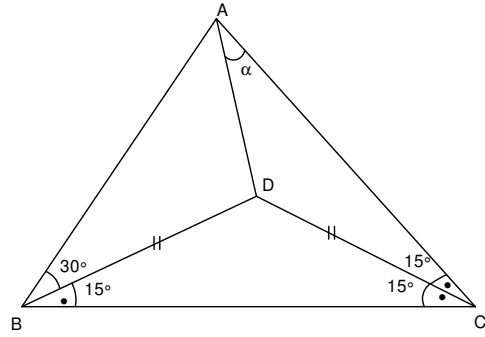


Şekilde  $AC = EC$ ,  $AB = 4$  ve  $(\angle BAC) = (\angle BDA) = 18^\circ$  veriliyor. Buna göre  $ED = x$  kaçtır?

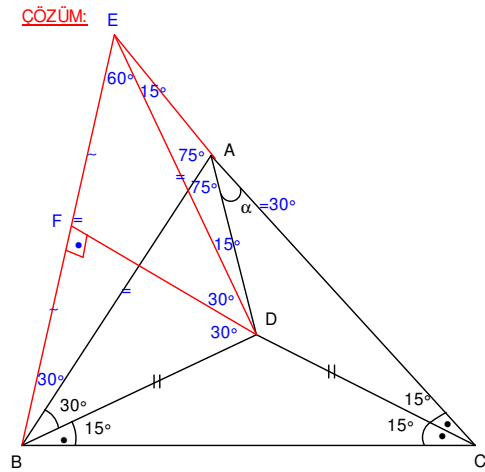


$18^\circ$  olacak şekilde  $ELKI$  çizilirse  $EKD$  ikizkenar üçgen olur.  $KL$  dikmesi çizilirse  $IEL=ILD$  olur.  $IA CI=IECI=IEKI=IKDI$  den  $\triangle ABC \cong \triangle ELK$  olduğu görülür.  $x=ED=2 \cdot EL$  ise  $x=2 \cdot 4=8$  bulunur.

**SORU-3)**

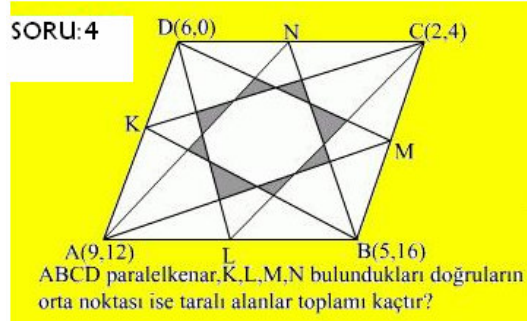


Şekilde  $BD = DC$  dir. Verilenlere göre  $m(\angle DAC)=\alpha$  kaçtır?



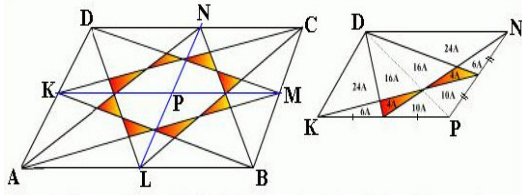
Şekilde doğrusal  $IDFI$  ve  $IEAI$  çizilirse oluşan  $BDE$  eşkenar üçgen,  $IBFI=IEFI$  ve  $BE \perp CF$  olur. Açılar hesaplanırsa  $BDA$  ve  $AED$  farklı iki ikizkenar üçgen olur.  $\alpha = 180^\circ - (75^\circ + 75^\circ) = 30^\circ$  bulunur.

**SORU:4**



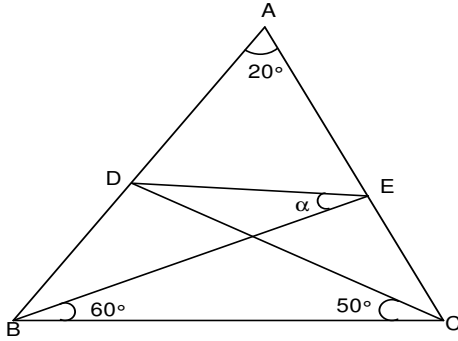
ABCD paralelkenar.  $K, L, M, N$  buldukları doğruların orta noktası ise taralı alanlar toplamı kaçtır?

### ÇÖZÜM:



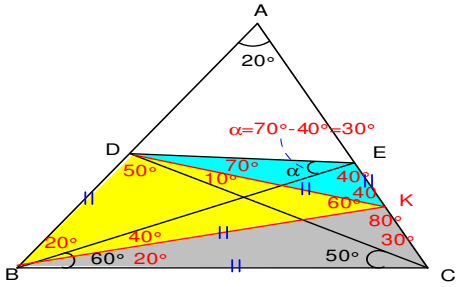
Paralelkenar, NL ve KM doğrularıyla 4 simetrik şekle ayrılır... Sağdaki şekilden de görülebileceği üzere taralı alanlar toplam paralelkenarın  $1/15$ 'idir...Paralelkenarın köşe koordinatları bilindiğinden alanı bulunup,  $1/15$ 'i hesaplanırsa cevap bulunur...

### SORU-5)



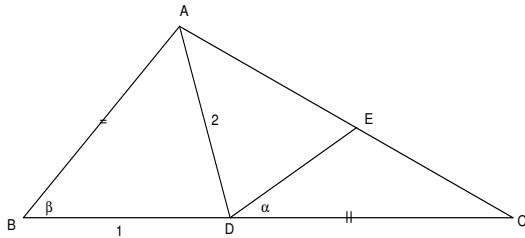
AB = AC dir. Şekil üzerinde verilenlere göre  $m(\angle BED)=?$  kaç derecedir?

### ÇÖZÜM:



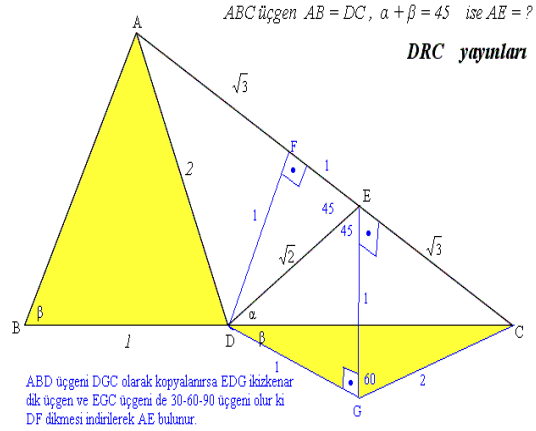
Şekilde BK ve KD çizilirse oluşan BKC üçgeni ikizkenar, BKD üçgeni eşkenar üçgen ve KDE üçgeni ikizkenar oldukları görülür. KDE üçgeninin taban açısının  $70^\circ$  ve  $\alpha=70^\circ-40^\circ=30^\circ$  bulunur.

### SORU-6)

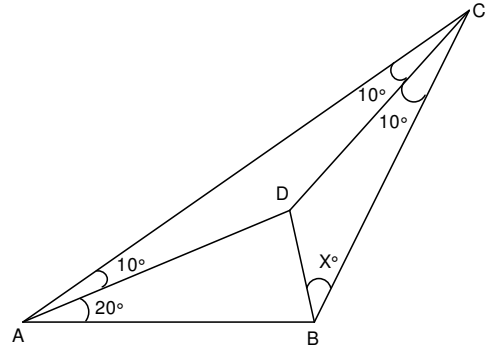


ABC üçgeni  $AB=1$  ve  $AC=2$  ve  $\alpha+\beta=45^\circ$  ise  $AE=?$  kaçtır?

### ÇÖZÜM:

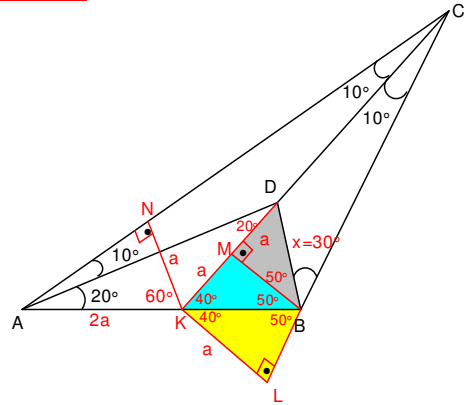


### SORU-7)



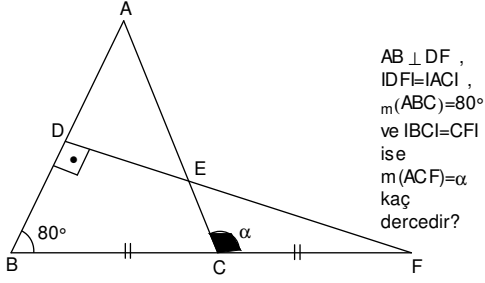
Şekilde verilenlere göre  $m(\angle DBC)=X$  kaçtır?

### ÇÖZÜM:

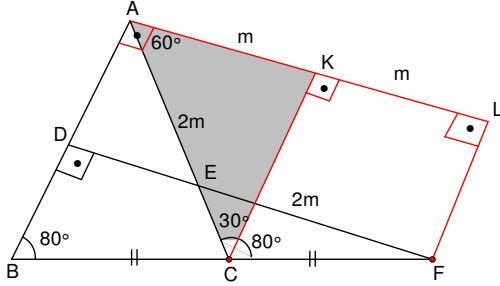


DKL uzatılır ve açortay özelliğinden  $IKL=IKN=a$  dikmeleri eşittir. AKN 30-60-90 üçgenidir.  $m(\angle ADK)=20^\circ$  ve  $m(\angle DKB)=40^\circ$  dir. AKD ikizkenar üçgenidir. IMB çizilirse KLB - KMB - DMB üçgenleri eş üçgenlerdir. Bu durumda  $x=30^\circ$  bulunur.

**SORU-8 )**

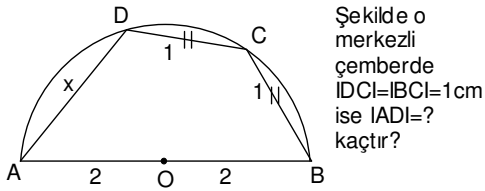


**ÇÖZÜM:**

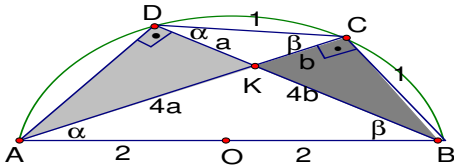


IALI=IDFI=IACI=2m alınır ve ICKI çizilirse ABFL yamuğunda ICKI orta taban olur. ACK üçgeni  $30^\circ-60^\circ-90^\circ$  üçgeni olur.  $\alpha=30^\circ+80^\circ=110^\circ$  bulunur.

**SORU-9 )**



**ÇÖZÜM:**



DKA üçgeninde pis.  $X=\sqrt{15}a \dots 1$

CKB üçgeninde pis.  $b=\frac{1}{\sqrt{15}}$

ABC üçgeninde pis.  $(4a+b)^2=4^2-1^2$

$4a+b=\sqrt{15}$

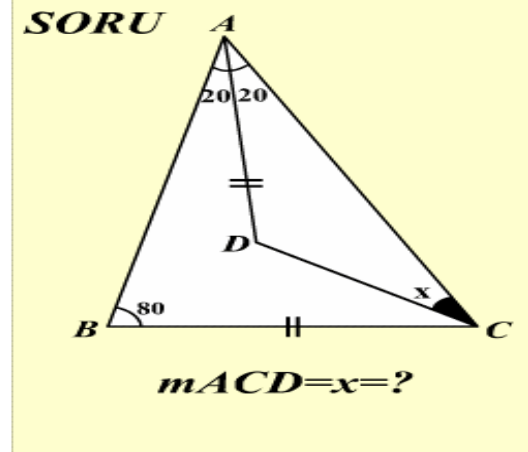
$4a+\frac{1}{\sqrt{15}}=\sqrt{15}$

$4a=\frac{14}{\sqrt{15}}$

$\frac{\sqrt{15}}{4} \cdot 4a = \frac{14}{\sqrt{15}} \cdot \frac{\sqrt{15}}{4}$

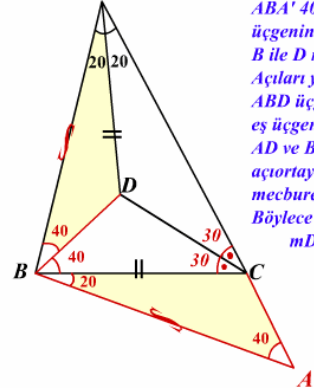
$\sqrt{15} \cdot a = \frac{7}{2} \Rightarrow \dots 1$  den  $x = \frac{7}{2}$  bulunur.

**SORU-10 )**



**ÇÖZÜM:1**

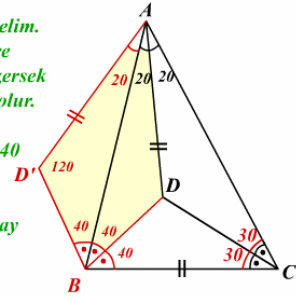
**CEVAP A**



ABA' 40-40-100 ikizkenar üçgenini oluşturalım. B ile D noktasını birleştirelim. Açılırları yerlerine yazdığımızda ABD üçgeniyle BA'C üçgeninin eş üçgenler olduğunu görürüz. AD ve BD , ABC üçgeninin açıortayları olduğundan DC de mecburen açıortay olur. Böylece istenilen açı  $m\angle DCA=30$  olur.

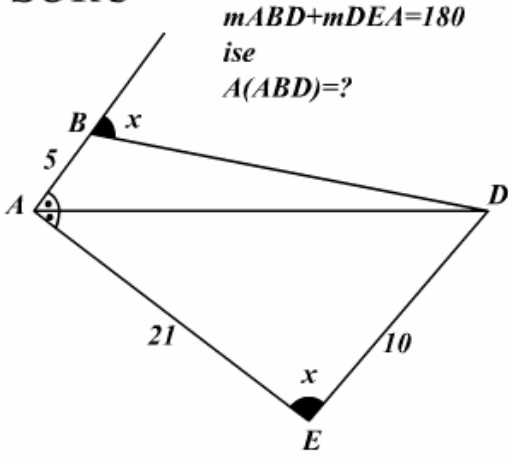
**ÇÖZÜM:2**

D ile B noktasını birleştirelim. ADB üçgeninin AB ye göre simetriği olan AD'B yi çizerek AD'BC ikizkenar yamuk olur. BD'//AC yi kullanırsak  $m\angle ABD'=m\angle ABD=m\angle CBD=40$  ABC üçgeninde BD ve AD açıortay olduğundan CD de açıortay olmak zorunda Buradan istenilen açı  $m\angle ACD=x=30$  bulunur.



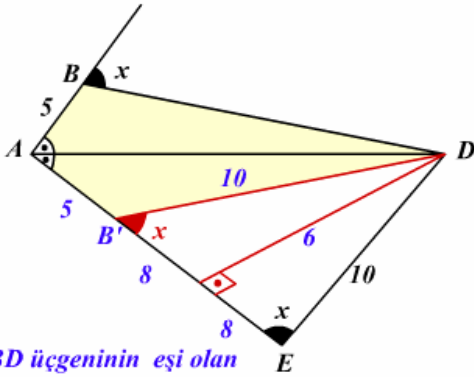
**SORU-11)**

**SORU**



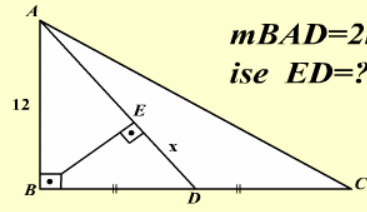
$m\angle ABD + m\angle DEA = 180$   
ise  
 $A(\angle ABD) = ?$

**ÇÖZÜM:**



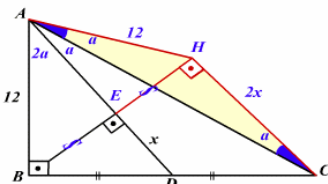
$ABD$  üçgeninin eşi olan  
 $AB'D$  üçgenini çizelim  
 $B'ED$  üçgeni ikizkenar üçgen olur.  
Buradan  
 $A(\angle ABD) = A(\angle AB'D) = 5 \cdot 6 / 2 = 15$

**SORU-12)**



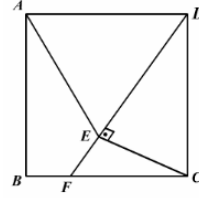
$m\angle BAD = 2m\angle DAC$   
ise  $ED = ?$

**ÇÖZÜM:**



$BAH$  ikizkenar üçgenini oluşturalım  
 $H$  ile  $C$  yibirleştirelim  
açıları yerine yazarsak  
 $AHC$  ikizkenar,  
 $BHC$  dik üçgen olur  
 $2ED = HC$  (Orta taban)  
 $AH = HC = 2x$   
 $12 = 2x$   
 $x = 6$ .

**SORU-13)**

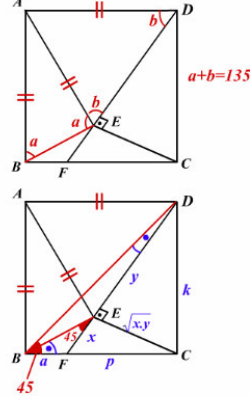


$ABCD$  bir kare.  
 $DF \perp EC$   
 $AB = AE$

$EF / ED = ?$

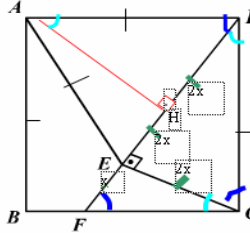
Fem Geometri

**ÇÖZÜM:1**



Benzerliği yazalım.  
 $DBF = BEF$   
 $\frac{x}{a} = \frac{a}{x+y}$   
 $a^2 = x(x+y)$   
 $k^2 + p^2 = (x+y)^2$  FCD de pisagor  
 $k \cdot p = \sqrt{x \cdot y} (x+y)$  FCD de alandan  
 $a = k - p$   
 $a^2 = (k - p)^2 = k^2 + p^2 - 2kp$   
 $a^2 = x(x+y) = k^2 + p^2 - 2kp$   
 $x(x+y) = (x+y)^2 - 2(x+y) \cdot \sqrt{x \cdot y}$   
 $x = x + y - 2 \cdot \sqrt{x \cdot y}$   
 $2 \cdot \sqrt{x \cdot y} = y$   
 $4xy = y^2$   
 $4x = y$   
 $\frac{x}{y} = \frac{1}{4}$

**ÇÖZÜM:2**

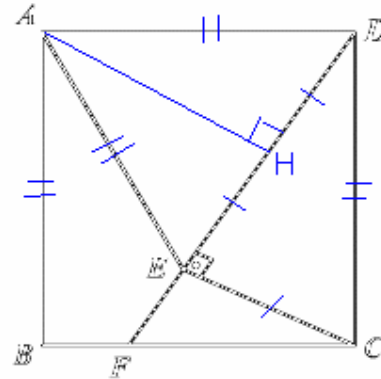


$ABCD$  bir kare.  
 $DF \perp EC$   
 $AB = AE$

$EF / ED = ?$

$\triangle ADH$  eşit  $\triangle DEC$   
 $\triangle DEC$  benzer  $\triangle EFC$   
CVP: 1/4

**ÇÖZÜM:3**

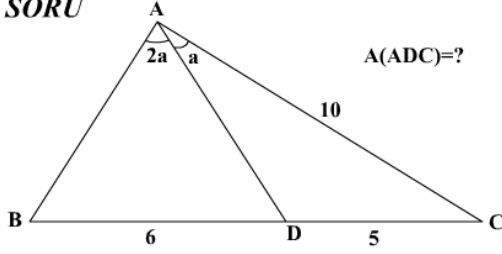


$\triangle AHD$   $\triangle CED$  üçgenleri eşitir.  
 $IEC = 1$  olsa  $IDE = 2$  olur.  
Ökliden  $IEFI = 1/2$  olur.

sorulan oran: 1/4

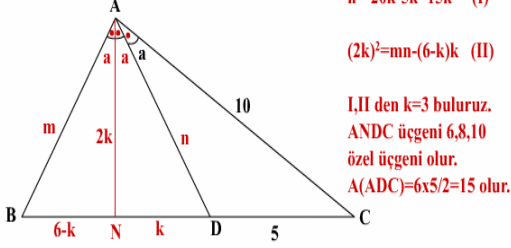
**SORU-14 )**

**SORU**



**ÇÖZÜM:**

**CEVAP**



$$n^2=20k-5k=15k \quad (I)$$

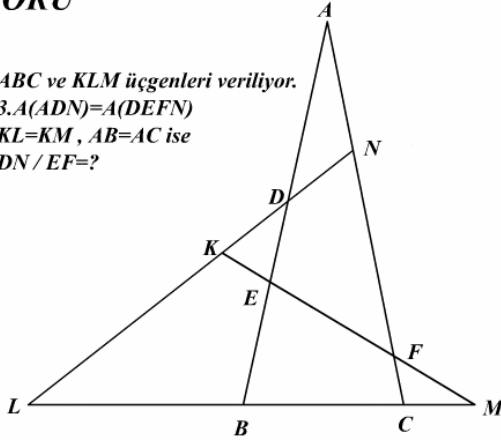
$$(2k)^2=mn-(6-k)k \quad (II)$$

I,II den  $k=3$  buluruz.  
ANDC üçgeni 6,8,10  
özel üçgeni olur.  
 $A(ADC)=6 \times 5 / 2 = 15$  olur.

**SORU-15 )**

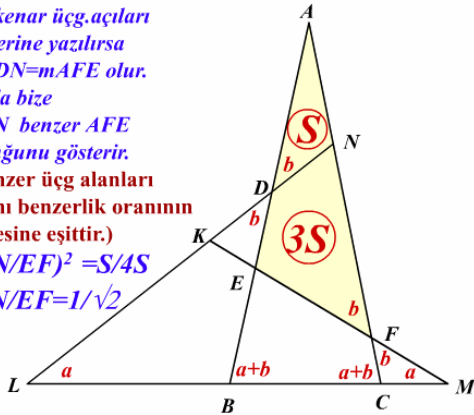
**SORU**

ABC ve KLM üçgenleri veriliyor.  
 $3 \cdot A(ADN) = A(DEFN)$   
 $KL=KM$ ,  $AB=AC$  ise  
 $DN/EF=?$

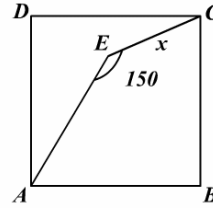


**ÇÖZÜM:**

iki kenar üçg. açları  
yerlerine yazılırsa  
 $m\angle ADN = m\angle AFE$  olur.  
Buda bize  
ADN benzer AFE  
olduğunu gösterir.  
(Benzer üçg alanları  
oranı benzerlik oranının  
karesine eşittir.)  
 $(DN/EF)^2 = S/4S$   
 $DN/EF = 1/\sqrt{2}$

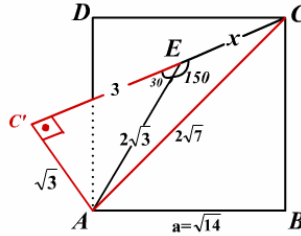


**SORU-16 )**



ABCD kare ve  $A(ABCD)=14$   
 $m(AEC)=150$   
 $AE=2$  KÖK 3  
ise  $EC=x=?$

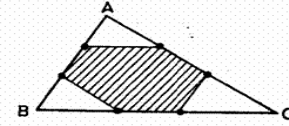
**ÇÖZÜM:**



$A(ABCD)=a^2=14$   
 $a=\sqrt{14}$   
EC yi uzatarak  
ACC' üçgenini oluşturup,  
uzunluklar yerine yazıp  
pisagpr yaparsak  
 $EC=2$  olduğu görülür.

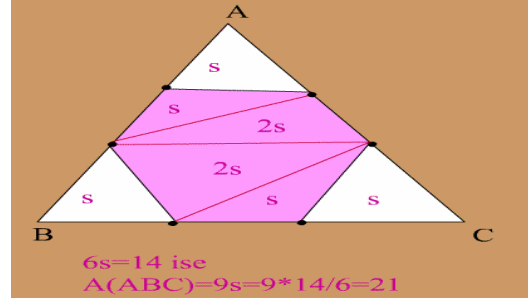
**SORU-17 )**

Şekildeki üçgenin  
her kenarı işaretli  
noktalarca üç eş  
parçaya bölün-  
müştür. Taralı alan  
 $14 \text{ cm}^2$  ise ABC  
üçgeninin alanı kaç  $\text{cm}^2$  dir?



- A) 17 B) 20 C) 21 D) 22 E) 23

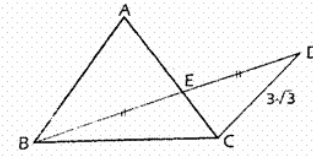
**ÇÖZÜM:**



$$6s=14 \text{ ise}$$

$$A(ABC)=9s=9 \cdot 14/6=21$$

**SORU-18 )**

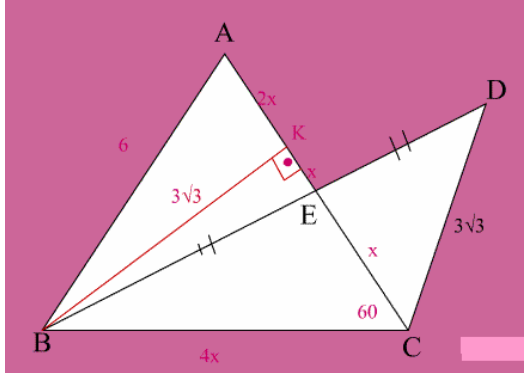


Şekilde ABC eşkenar üçgen,  $IBEI = IEDI$ ,  
 $IAEI = 3 IECI$  ve  $ICDI = 3\sqrt{3}$  olduğuna göre

**Alan[ABC] kaç  $\text{cm}^2$  dir?**

- A) 9 B) 12 C)  $9\sqrt{3}$  D)  $12\sqrt{3}$  E) 16

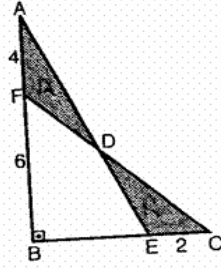
**ÇÖZÜM:**



$|KE|=|EC|$  ve  $|BE|=|ED|$  olması  $|KB|//|DC|$  olmasını gerektirir  
 $|BK|=3\sqrt{3}$   
 bulunur,  $|AB|=6$  olup  
 $A(ABC)=36\sqrt{3}/4=9\sqrt{3}$

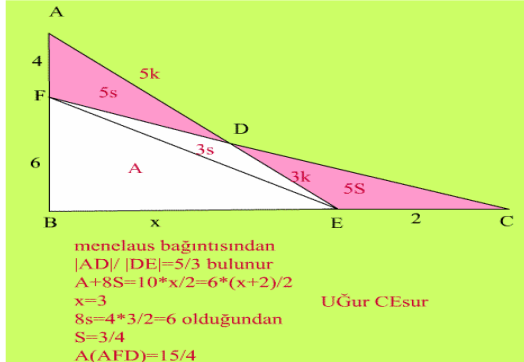
### SORU-19 )

Şekilde  $m(\widehat{B}) = 90^\circ$ ,  
 $|AF| = 4$  cm,  
 $|BF| = 6$  cm  
 ve  $|EC| = 2$  cm dir.  
 $A(\widehat{AFD}) = A(\widehat{DEC})$  ise  
 $A(\widehat{AFD})$  kaç  $cm^2$  dir?

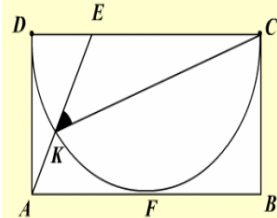


- A) 3 B)  $\frac{7}{2}$  C)  $\frac{15}{4}$  D)  $\frac{5}{2}$  E)

### CÖZÜM:

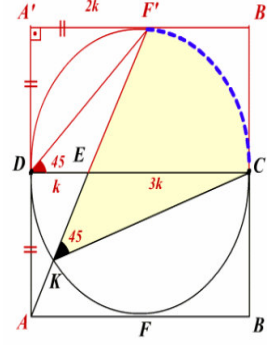


### SORU-20 )



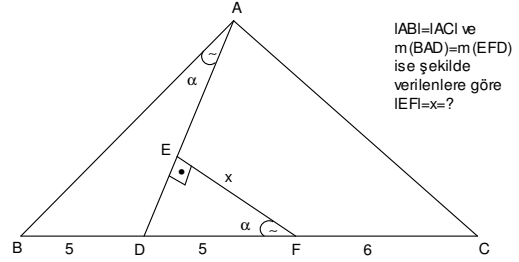
ABCD dikdörtgeni  
 DC çaplı yarım çembere,  
 C,D,F noktalarında teğet  
 $3.DE = EC$   
 ise  $m(\widehat{EKC})=?$

### CÖZÜM:

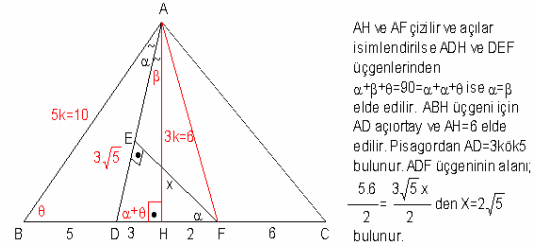


Şeklin simetrisini çizerek  
 çemberi tamamlayalım.  
 AA'F üçgenini oluşturalım.  
 DA'F üçgeni ikizkenar dik üçgen.  
 F'DC ile F'KC çevre açıları  
 aynı yayı görüyor.  
 Ölçüleri eşit ve 45 dir.

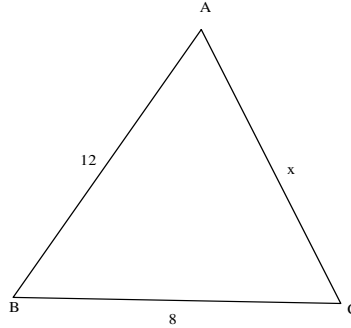
### SORU-21 )



### CÖZÜM:-

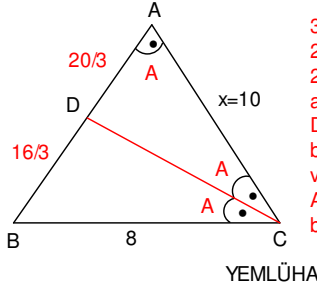


### SORU-22 )



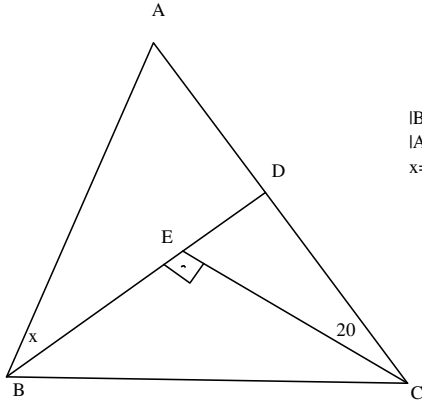
$3m(A)+m(B)=180$   
 $x=?$

### CÖZÜM:



$3A+B=180$   
 $2A+A+B+C=180+C$   
 $2A=C$  olur. CD  
 açıortayı çizilirse  
 $DBC \sim CBA$   
 benzerliğinden DB  
 ve AD bulunur.  
 Açıortay teo.  $x=10$   
 bulunur.

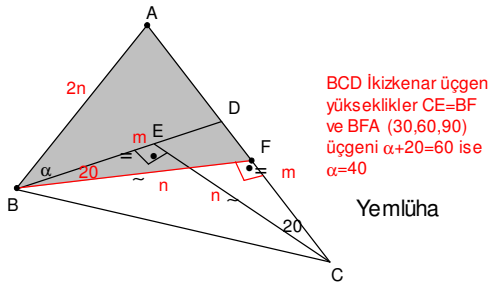
**SORU-23)**



$IBD=IDC$   
 $IAB=2IEC$   
 $x=?$

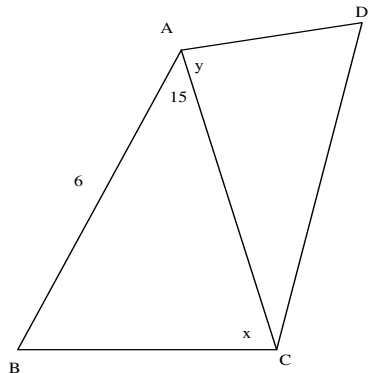
- A) 30      D) 45      B) 35      C.) 40  
E) 50

**CÖZÜM:**



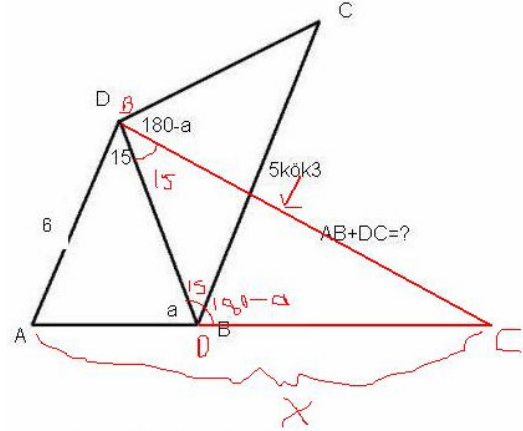
BCD ikizkenar üçgen  
 yükseklikler  $CE=BF$   
 ve BFA (30,60,90)  
 üçgeni  $\alpha+20=60$  ise  
 $\alpha=40$

**SORU-24)**



$[AB]/[DC]$   
 $x+y=180$   
 $ICD=5\text{kök}3$   
 $IBC+IAD=?$

**CÖZÜM:**



Cos teoreminden  $x= \text{kök} 21$  çıkar

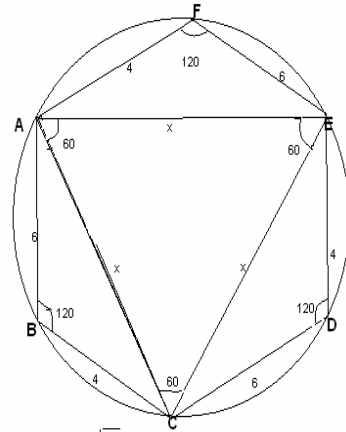
**SORU-25) Bir Çemberin İçine Yerleştirilen Altıgenin Kenarları 4,4,4,6,6,6 İse Bu Çokgenin Alanı=?**

**CÖZÜM:**

$x^2=4^2+6^2-2 \cdot 4 \cdot 6 \cdot \cos 120$   
 $x^2=76$

$A(ACE)= \frac{x^2 \sqrt{3}}{4}$   
 $=19\sqrt{3}$

$A(ABC)=(6 \cdot 4 \cdot \sin 120)/2$   
 $=6\sqrt{3}$

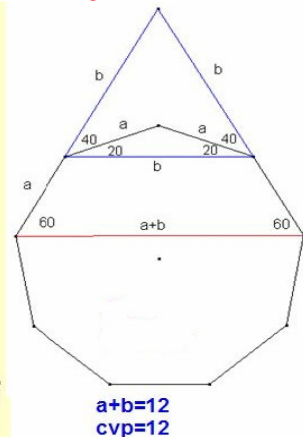


$A(ABCDEF)=19\sqrt{3} + 3 \cdot 6\sqrt{3} = 37\sqrt{3}$

**SORU-26)**

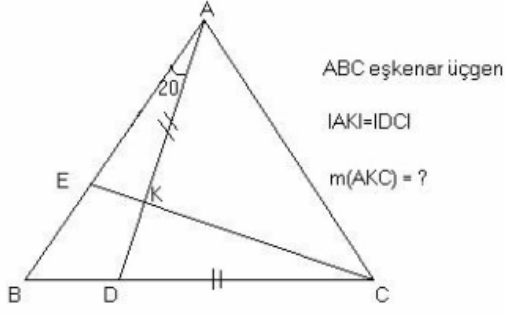
**CÖZÜM:**

Bir düzgün dokuzgenin bir kenarıyla, en kısa köşegeninin uzunluğu toplamı 12 cm olduğuna göre bu çokgenin en uzun köşegeni kaç cm dir?

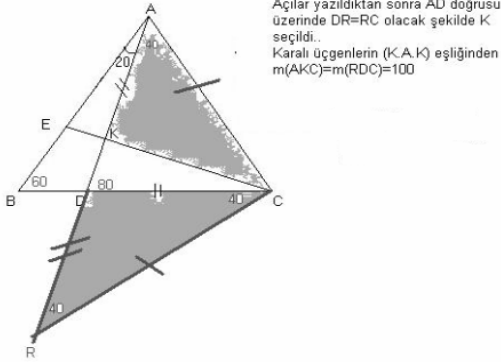


$a+b=12$   
 $cvp=12$

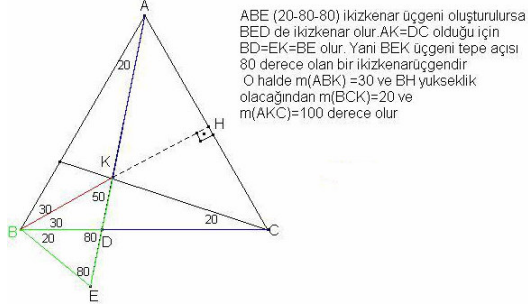
**SORU-27)**



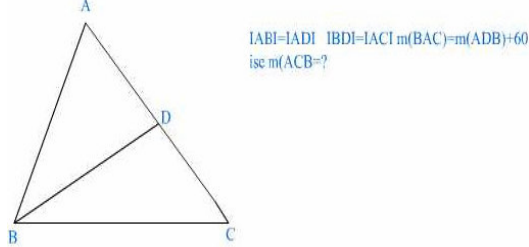
**ÇÖZÜM -1:**



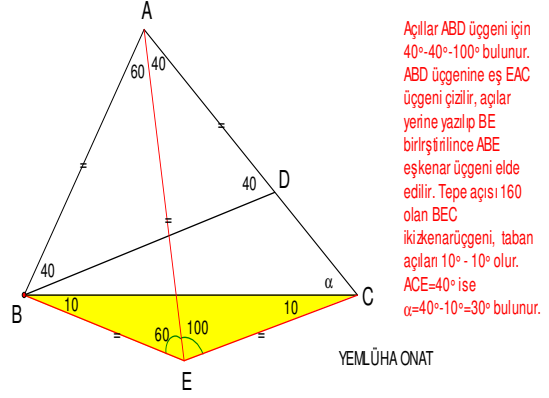
**ÇÖZÜM -2:**



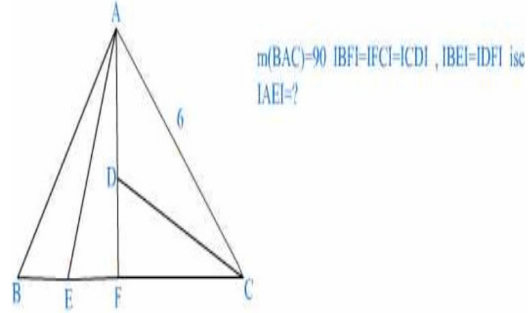
**SORU-28)**



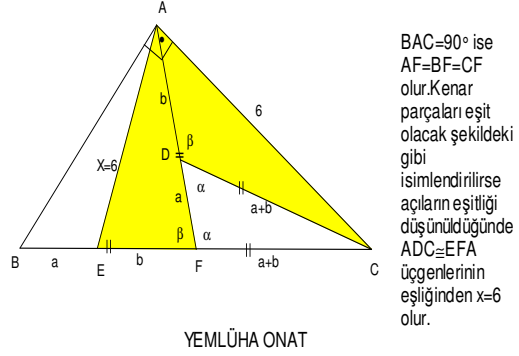
**ÇÖZÜM:**



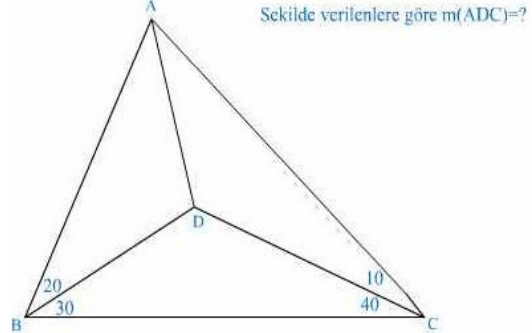
**SORU-29)**



**ÇÖZÜM:**

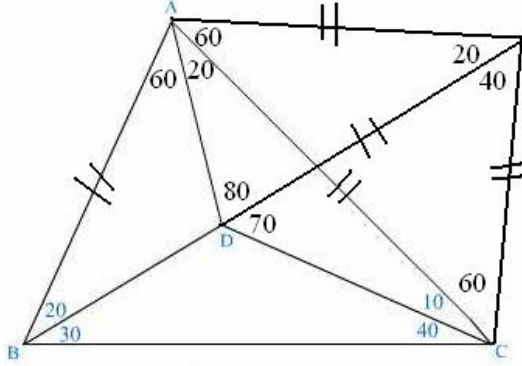


**SORU-30)**



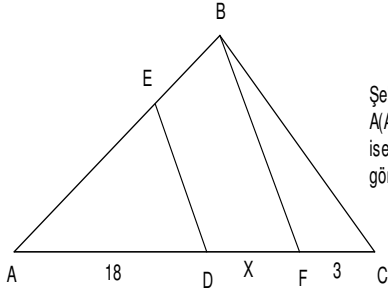


**ÇÖZÜM:**



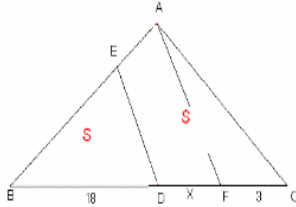
$m(\angle ADC) = 150$  olur.

**SORU-31)**



Şekilde ED//BF ve  $\angle(ADE) = \angle(D EBC)$  ise verilenlere göre x kaçtır?

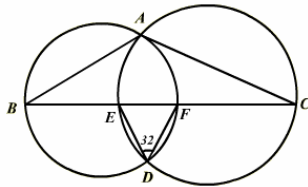
**ÇÖZÜM:**



$$\frac{18 \cdot BE}{(21+X)BA} = \frac{1S}{2S} \quad \frac{BE}{BA} = \frac{21+X}{36} \quad \frac{BE}{BA} = \frac{18}{18+X} \quad \text{TEMEL ORANTI DAN}$$

$$\frac{21+X}{36} = \frac{18}{18+X} \rightarrow X=6$$

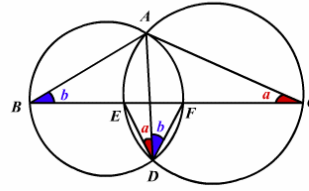
**SORU-32)**



Şekildeki çemberler A ve D noktasında kesişiyor. B, E, F, C noktaları doğrusal ve  $m(\angle EDF) = 32$  ise  $m(\angle BAC) = ?$

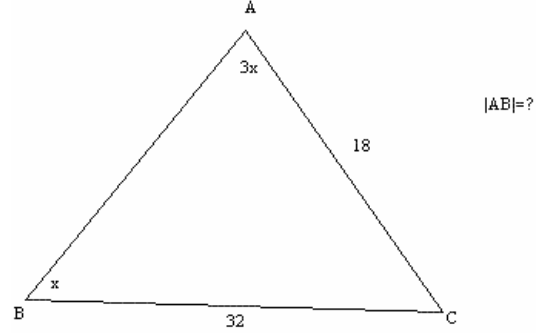
**ÇÖZÜM:**

**CEVAP**

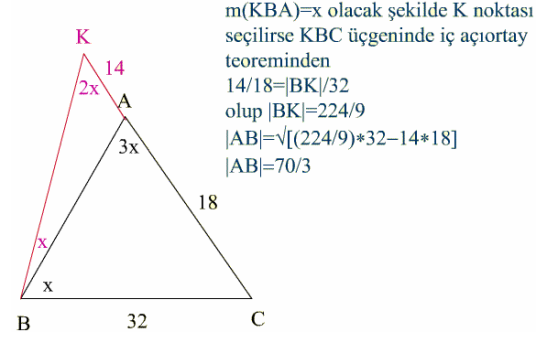


A ile D yi birleştirelim Aynı yayı gören çevre açıları eşit.  $m\angle ACE = m\angle ADE = a$   $m\angle ABF = m\angle ADF = b$  diyelim.  $a+b=32$   $m\angle BAC = 180 - (a+b) = 180 - 32 = 148$

**SORU-33)**

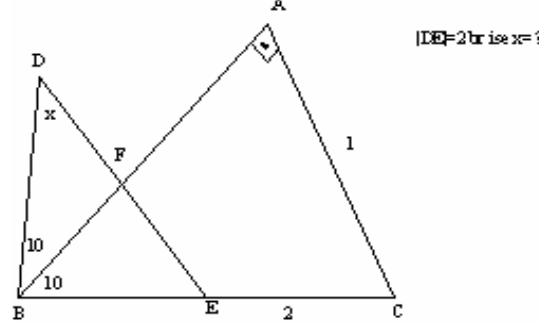


**ÇÖZÜM:**

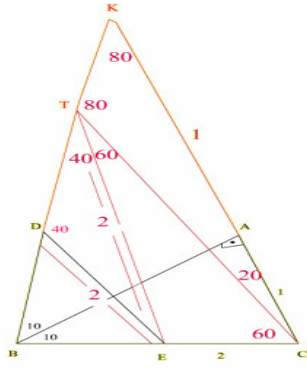


$m(\angle KBA) = x$  olacak şekilde K noktası seçilirse KBC üçgeninde iç açıortay teoreminden  $14/18 = |BK|/32$  olup  $|BK| = 224/9$   $|AB| = \sqrt{(224/9)^2 + 32^2 - 14 \cdot 18}$   $|AB| = 70/3$

**SORU-34)**

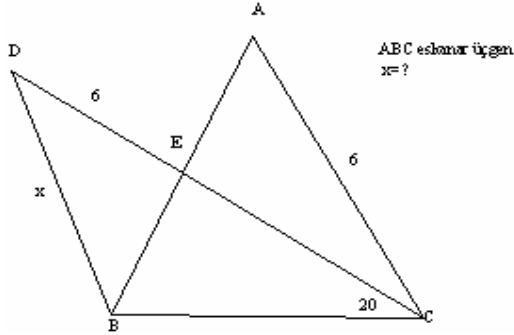


**ÇÖZÜM:**

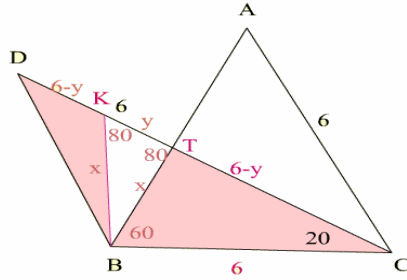


$|KC|=|KT|$  olacak şekilde T noktası seçildi.ETC üçgeni eşkenar üçgen,TDE ikizkenar üçgen olup  $m(\angle BDE)=140$  bulunur

### SORU-35)

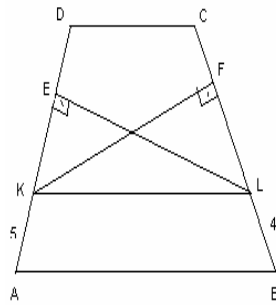


**ÇÖZÜM:**

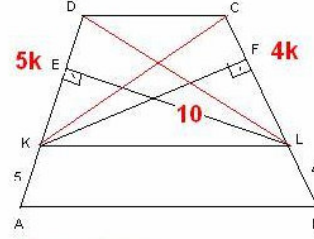


$m(\angle KBC)=80$  olacak şekilde K noktası seçildi.  
 $|KB|=x$  ve  $|KT|=y$  denilirse  
 KBD üçgeni ile TBC üçgeni eş üçgenler olup  
 $|BC|=6$  olduğundan  
 $|AD|=6$

### SORU-36)



**ÇÖZÜM:**



ABCD YAMUK KL // AB  
 $|AK|=5$ ,  $|LB|=4$  ve  $|LE|=10$   
 ise  $|KF|=?$

$A(KDL)=A(KCL)$   
 $5k \cdot 10 = 4k \cdot |KF|$   
 $|KF|=25/2$  olur

\*\*\*\*\*

*TMOZ grubu üyelerine bazı soruların çözümleri için teşekkürler.*

\*\*\*\*\*

**DERLEYEN:**

Yemliha ONAT  
 mat. Öğretmeni

17.01.2007-Kayseri

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